Frank Schweitzer

fschweitzer@ethz.ch



**Emergent Properties** 

### **Emergence**

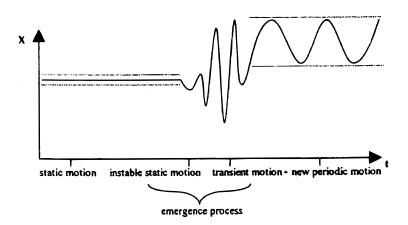
- common understanding: new properties appear on the systems level
- different interpretations
  - mathematics: small (quasi continuous) changes in x result in large (discontinuous) changes in  $X \Rightarrow$  non-reductionistic, irreducible



From: P. Eisenhardt, D. Kurth, H. Stiehl: Wie Neues entsteht, Reinbek 1995

- role of control parameter  $A \Rightarrow$  induced transition
  - ★ same dynamics, but emergence of new attractors
  - adaptation to changing conditions, rather than novelty

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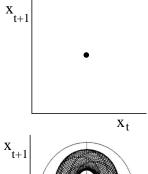


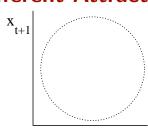
From: W. Völcker, Mimeo 1999

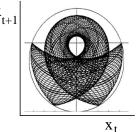
**Emergent Properties** 

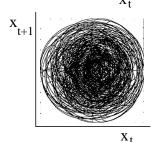
Emergence of new attractors

## Same Dynamics – Different Attractors









### **Emergence from collective interaction**

- Physics/Biology: emergence as collective phenomenon, resulting from interaction
- Self-organization in distributed systems:
  - based on the non-linear coupling of "individual" actions
  - feedback mechanism: self-consistent "field" indirect communication, exchange of information
  - non-equilibrium system: activity requires energy
  - self-organization: emergence of new solutions

#### Simulation



Emergence of coordinated decisions

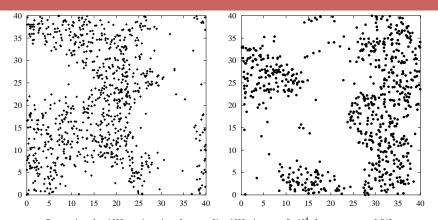
**Emergent Properties** 

### **Emergence of coordinated decisions**

- N agents: position  $\mathbf{r}_i \in \mathbb{R}^2$ , "opinion"  $\theta_i \in \{-1, +1\}$
- binary choice: to change or to keep "opinion"  $\theta_i$

$$w(-\theta_i|\theta_i) = \eta \exp\left\{-\frac{h_{\theta}(\mathbf{r}_i, t) - h_{-\theta}(\mathbf{r}_i, t)}{T}\right\}$$

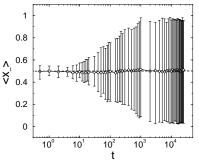
- "herding behavior"  $\Rightarrow$  depends on information  $h_{\theta}(\mathbf{r}_i, t)$  about decisions of other agents
- $\triangleright$   $\eta$ : defines time scale
- T: "social temperature" measures randomness of social interaction
  - $T \rightarrow 0$ : deterministic behavior



System size: A = 1600, total number of agents: N = 1600, time:  $\textit{t} = 5 \cdot 10^4$ , frequency:  $\textit{x}_+ = 0.543$ 

#### Results: (closer inspection)

• single-attractor regime: fixed minority/majority relation multi-attractor regime: variety of spatial patterns almost every minority/majority relation may be established



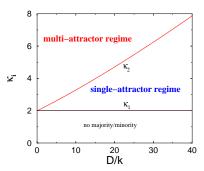
• dependence on information dissemination (D), memory (k), agent density (N/A) ??

28-29 November 2005

#### **Analytical Investigations**

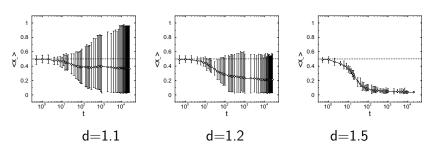
- impact of information  $\kappa = 2\nu/T$ : relation between net information density  $\nu = \bar{n} \, s/k$  and efficiency  $\sim 1/T$
- existence of two bifurcations:

$$\kappa > \kappa_1 = 2$$
: minority/majority  $\kappa > \kappa_2(D/k)$ : multi-attractor regime



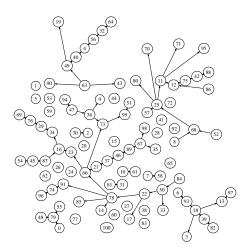
#### Communication on different time scales

vary: 
$$d = D_{+1}/D_{-1}$$



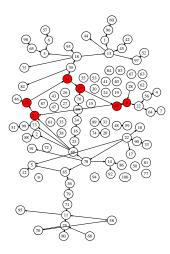
• subpopulation with the more efficient communication becomes "always" the majority

- network model of connected agents (directed links)
- two time scales:
  agent dynamics (fast), network dynamics (slow)
- Questions:
  - Under which conditions do agents survive?
  - ▶ Which structures of networks emerge?
  - What happens if selection pressure is increased?
- Results of computer simulations:
  - Emergence of a core of *cooperative* agents, and a *parasitic* pheriphery, considerable crashes and recovery



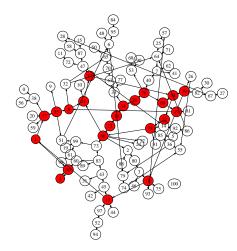
t = 800

**Emergent Properties** 



t = 973

**Emergent Properties** 



t = 1290

**Emergent Properties** 

